

Monday 8 November 2021 – Morning**GCSE (9–1) Mathematics****J560/03 Paper 3 (Foundation Tier)****Time allowed: 1 hour 30 minutes****You can use:**

- a scientific or graphical calculator
- geometrical instruments
- tracing paper

Please write clearly in black ink. **Do not write in the barcodes.**

Centre number

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Candidate number

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First name(s)

Last name

INSTRUCTIONS

- Use black ink. You can use an HB pencil, but only for graphs and diagrams.
- Write your answer to each question in the space provided. You can use extra paper if you need to, but you must clearly show your candidate number, the centre number and the question numbers.
- Answer **all** the questions.
- Where appropriate, your answer should be supported with working. Marks might be given for using a correct method, even if your answer is wrong.
- Use the π button on your calculator or take π to be 3.142 unless the question says something different.

INFORMATION

- The total mark for this paper is **100**.
- The marks for each question are shown in brackets [].
- This document has **24** pages.

ADVICE

- Read each question carefully before you start your answer.

Please note that these worked solutions have neither been provided nor approved by OCR and may not necessarily constitute the only possible solutions. Please refer to the original mark schemes for full guidance.

Any writing in blue indicates what must be written in order to answer the questions and get the marks. The worked solutions have been designed to show the smallest amount of work which needs to be done to answer the question.

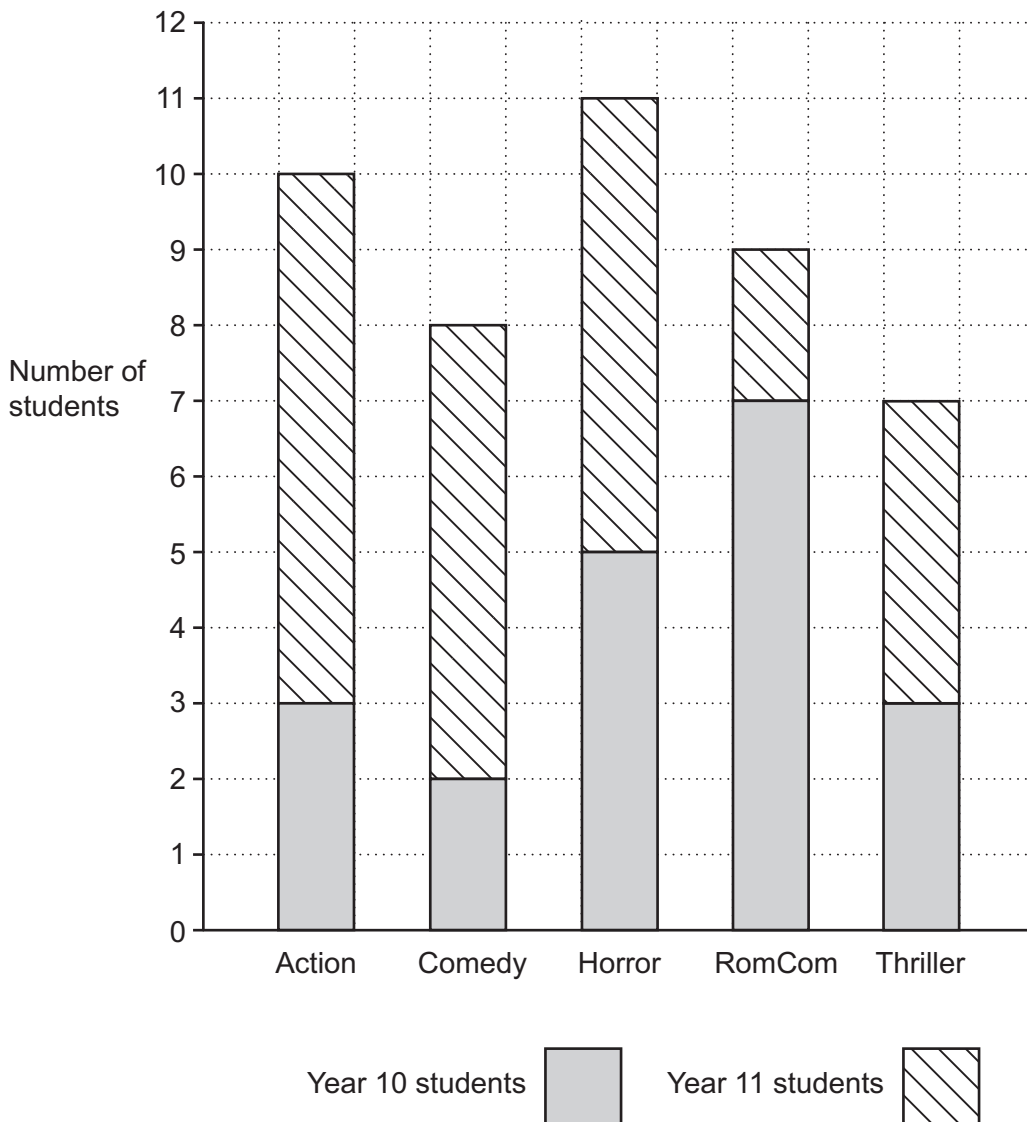
Anything written in green in a cloud doesn't have to be written in the exam.

Anything written in orange in a rectangle doesn't have to be written in the exam and is there to show what should be put into a calculator or measured using a ruler or protractor.

If you find any mistakes or have any requests or suggestions, please send an email to curtis@cgmaths.co.uk

Answer **all** the questions.

- 1 In a survey, some students chose their favourite type of film from a list of five. The bar chart shows the results.



- (a) (i) How many students chose Action films?

This is the total height of the bar for Action

(a)(i) [1]

- (ii) How many Year 11 students chose Action films?

(ii) [1]

Subtracting the Year 10 students who chose Action from the total number of students who chose Action leaves the number of Year 11 students who chose Action

(b) What type of film was chosen by the most Year 10 students?

The one with the tallest dark grey bar for the Year 10 students

(b) [1]

(c) How many Year 10 students took part in the survey?

Add the heights of all of the dark grey bars for the Year 10 students

(c) [2]

(d) 45 students took part in the survey.

Write the ratio

number of Year 10 students taking part : number of Year 11 students taking part

in its simplest form.

Subtracting the number of Year 10 students from the 45 total number of students leaves the number of Year 11 students. Write the ratio of number of Year 10 students taking part : number of Year 11 students taking part

The ratio simplifies in a similar way to a fraction so putting (number of Year 10 students taking part)/(number of Year 11 students taking part) into the calculator gives a simplified fraction which can be used to consider what the simplified ratio would be

(d) : [3]

2 Use your calculator to work out.

(a) $\sqrt{196} + 29$

Type into the calculator exactly as above. Make sure the +29 is outside the square root

(a) [1]

(b) 4^5

Type into the calculator

(b) [1]

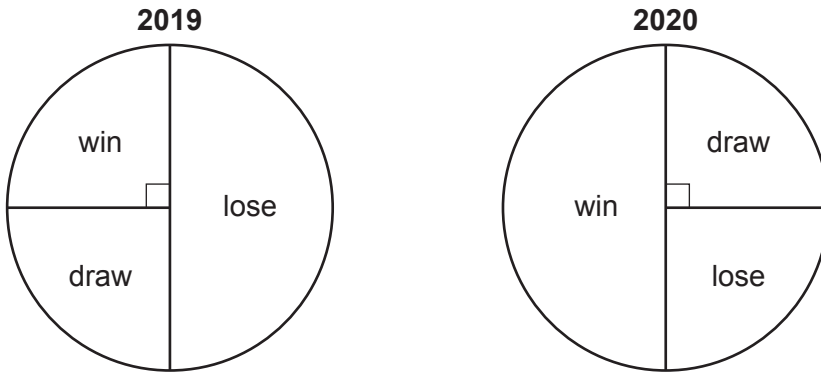
- 3 There are 150 coins in a jar.
20% of the coins are 10p coins.
 $\frac{3}{10}$ of the coins are 20p coins.
The rest of the coins are 50p coins.

Work out the total value, in £, of the 150 coins.
You must show your working.

Putting the 20 over 100 converts 20% into a fraction, which when multiplied by finds 20%.
Multiplying this by the 150 coins works out 20% of 150. 'Of' means to multiply, this can be used to
work out $\frac{3}{10}$ of the coins. Subtracting the number of 10p coins and the number of 20p coins from
the 150 coins leaves the number of 50p coins. There are 100p in £1 so dividing the value of each
coin converts it into £. Multiplying the number of coins by the value of each coin in £ works out the
value of each type of coin in £. Adding the values together gives the total value of all of the coins

£ [6]

- 4 A sports team played the same number of matches in 2019 and 2020. The two pie charts summarise their results.



- (a) What fraction of the matches did the team win in 2019?

The angle for win was a right-angle, which is 90° . There are 360° in total in a pie chart. Express the fraction of the pie chart which is for win in 2019

(a) [1]

- (b) Did the team's results improve in 2020? Explain how you know.

There are now $180/360$ for win in 2020

..... because

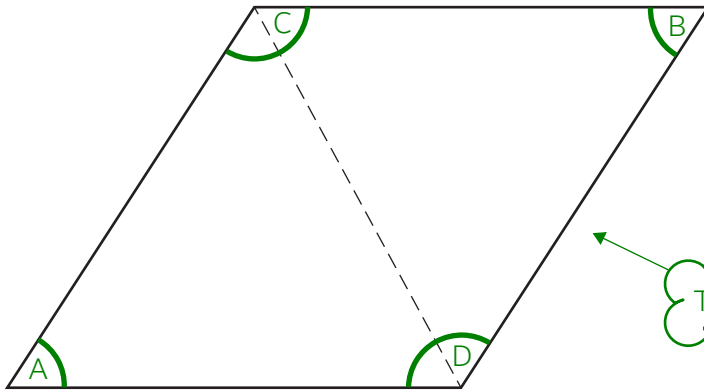
..... [1]

- 5 Increase 600 by 17%.

$100 + 17$ expresses the percentage it increases to. Putting this over 100 converts it into a fraction, which increases the 600 by 17% when multiplied by

..... [3]

6 The diagram shows how a rhombus is made by joining two **equilateral** triangles.



Not to scale

The interior angles are shown in green

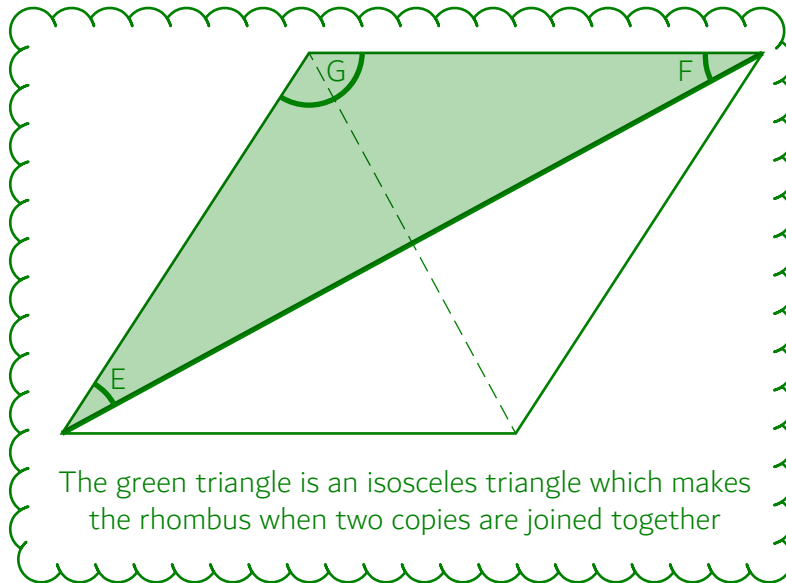
(a) Find the size of each interior angle of the rhombus.

There are 180° in total in a triangle. Dividing this by 3 works out the size of each interior angle of an equilateral triangle, which is angle A and B. Multiplying this by 2 works out angle C and D

(a) $^\circ$, $^\circ$, $^\circ$, $^\circ$ [1]

(b) The same rhombus can be made by joining two copies of an **isosceles** triangle.

Find the size of each angle of the isosceles triangle.



The green triangle is an isosceles triangle which makes the rhombus when two copies are joined together

(b) $^\circ$, $^\circ$, $^\circ$ [2]

- 7 Rowan's bath has a hot tap and a cold tap.
When turned on full, each tap on its own will fill the bath in 6 minutes.

Rowan turns **both** taps on full.

How long will it take to fill the bath?

There are 6 minutes worth of work to be done. Dividing this by the 2 taps works out how long it will take each one when working at the same time

..... minutes [2]

- 8 Simplify.

$$5t - 3u - t + 5u$$

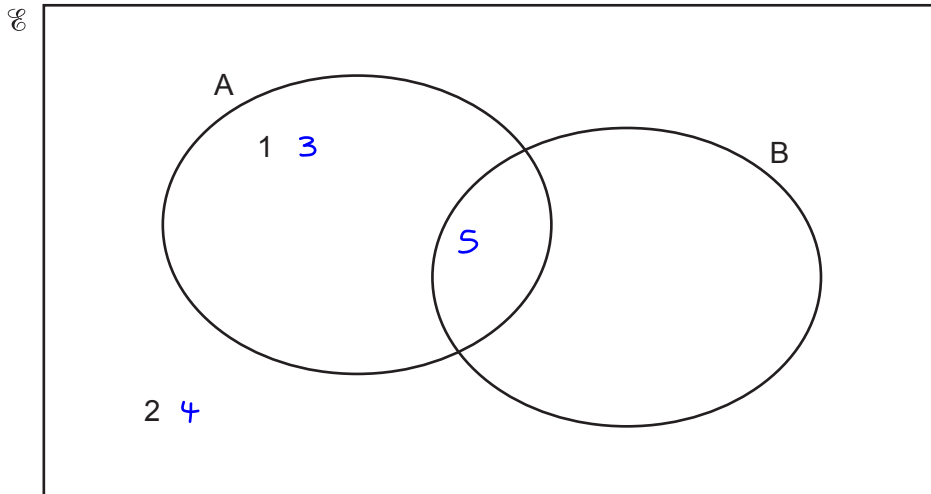
Collect like terms

..... [2]

- 9 $\mathcal{U} = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16\}$
Set A = {odd numbers}
Set B = {multiples of 5}

(a) The elements 1 and 2 have been entered on this Venn diagram.

Complete the Venn diagram to show **all** of the elements.



[3]

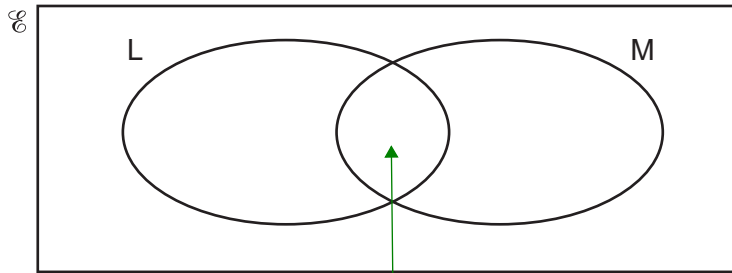
- (b) \mathcal{U} = {all positive integers}
 Set L = {odd numbers}
 Set M = {multiples of 2}

Three Venn diagrams, numbered 1 to 3, are shown below.

Which diagram best shows the relationship between Set L and Set M?

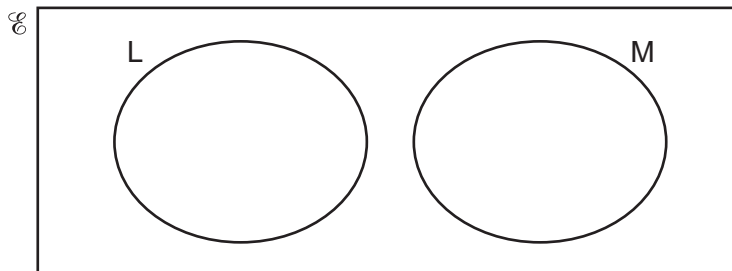
Give a reason for your choice.

Venn diagram 1:



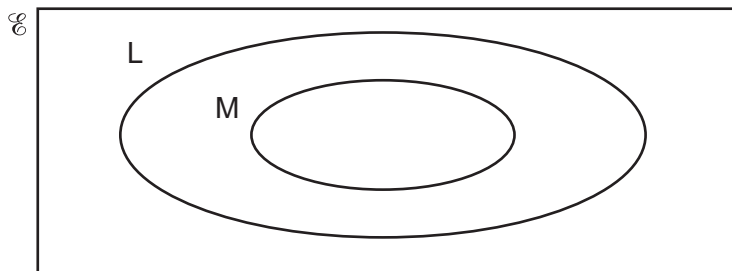
This cross over indicates that there could be odd multiples of 2

Venn diagram 2:



There is no cross over so this would indicate that there can be no odd multiples of 2

Venn diagram 3:



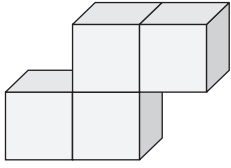
Set M is in Set L so this would indicate that every multiple of 2 is odd

Venn diagram because

..... [2]

- 10 A student has some cubes that are all the same size.
Each cube is 3 cm by 3 cm by 3 cm.

They put 4 of these cubes together to make this shape.



Calculate the surface area of the shape.

Multiplying the area of each square face by the number of square faces on the surface works out the surface area. Area of square = length \times width. The length and width of each square face are both 3cm. There are 4 cubes and there are 6 square faces on each cube. Work out how many square faces there are in total. Subtracting the number of faces which are not on the surface for each cube leaves the number of square faces which are on the surface

..... cm² [4]

11 Here are some algebraic statements.

$$v = u + at \quad a + 2b \quad 3(x + 2) = 3x + 6 \quad 2y < x \quad 2x = 5$$

From the list above, write down an example of each of the following.

(a) An expression.

$v = u + at$ is a formula. $3(x + 2) = 3x + 6$ is an identity as it is always true for all values of x

(a) [1]

(b) An inequality.

(b) [1]

(c) An equation.

(c) [1]

12 Rearrange this formula to make w the subject.

$$P = 2w + 2h$$

Get the w term on its own. Then get w on its own

..... [2]

- 13 Ellis has 28m of ribbon.
They cut the ribbon into lengths of 60cm.

What is the least length of ribbon, in cm, that can be left over?
You must show your working.

There are 100cm in 1m. Convert the 28m into cm. Dividing this by the 60cm works out how many lots of the lengths can be cut. Give this as a mixed number. The whole number is the number of lengths which can be cut and the fraction is the amount of a length left over

..... cm [5]

- 14 This table shows the names and areas of five lakes.

Name of Lake	Area in km ²
Ladoga	1.81×10^4
Mweru	5.12×10^3
Tana	3.20×10^3
Topozero	9.86×10^2
Victoria	6.89×10^4

- (a) Write the area of Lake Mweru as an ordinary number.

Typing the standard form into the calculator converts it into ordinary form

(a) km² [1]

- (b) Write the lakes in the order of their area, starting with the **smallest**.

Convert all of the areas into ordinary form to compare their areas. It is possible to compare them without doing this as they are all in standard form

..... [2]
smallest *largest*

- (c) Calculate the difference between the areas of Lake Ladoga and Lake Tana. Give your answer in standard form, correct to 2 significant figures.

Difference = largest - smallest. Standard form is $a \times 10^n$, where $1 \leq a < 10$ and n is an integer. Significant figures are first figures after any 0s. To round to 2 significant figures, look at the third significant figure to decide whether to round the second significant figure up or down. Round down if the third figure is 0, 1, 2, 3, 4 or up if it is 5, 6, 7, 8, 9. Then set everything after the second significant figure to 0 and ignore them

(c) km² [4]

15 Azmi, Beth and Callum share a flat.

- (a) The monthly rent is £760.
They share the rent in the ratio 2 : 3 : 3.

How much does Beth pay for rent each month?

2 + 3 + 3 expresses how many parts there are in total in the ratio. This many parts represent the total monthly rent so dividing the £760 by this many parts works out the value of 1 part of the ratio. Multiplying this by the 3 parts representing the rent Beth pays works out how much Beth pays for rent each month

(a) £ [2]

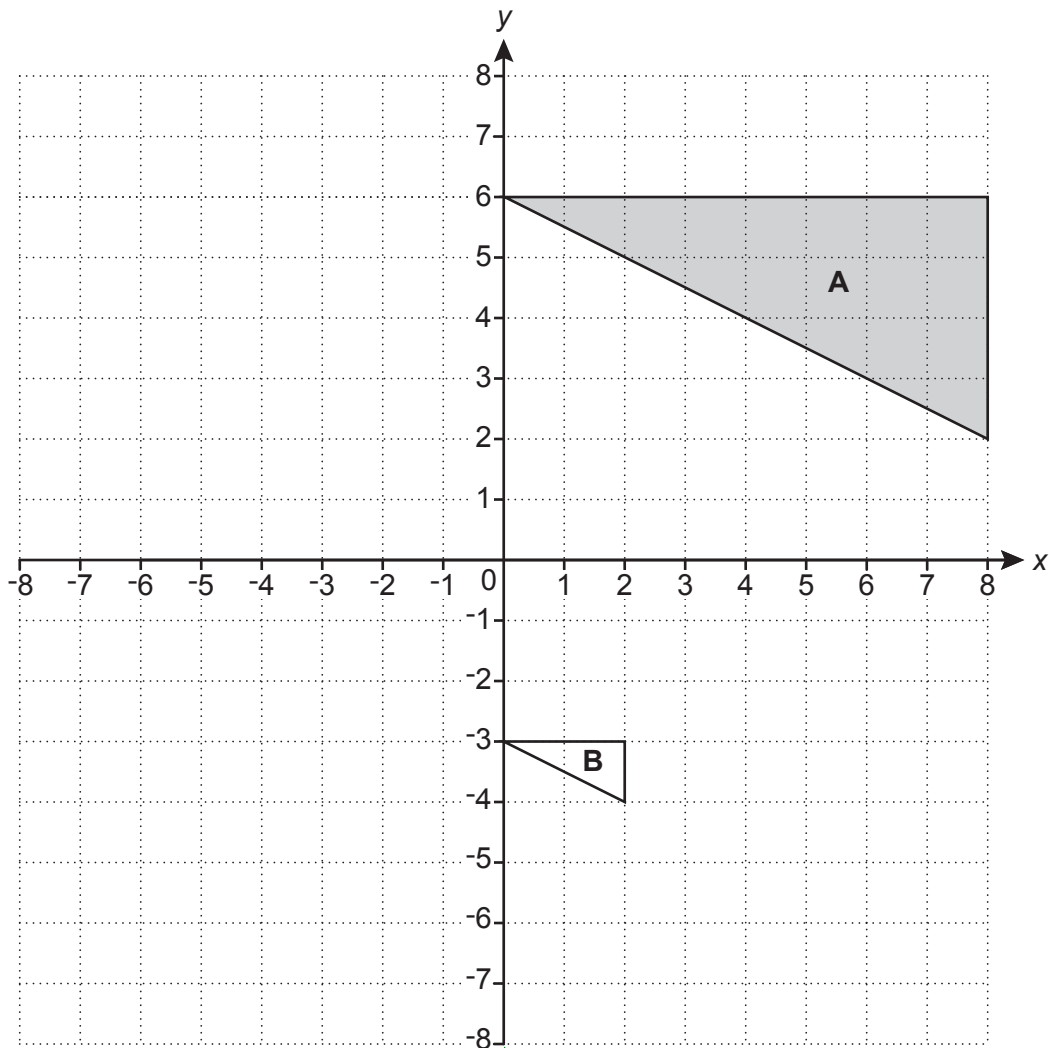
- (b) Azmi, Beth and Callum also share the fuel bill in the ratio 2 : 3 : 3.
Callum pays £36 for fuel each month.

How much does Azmi pay for fuel each month?

3 parts of the ratio represent the amount Callum pays for fuel each month. Dividing the £36 by the 3 parts works out what 1 part of the ratio represents. Multiplying the value of 1 part by the 2 parts representing Azmi works out how much Azmi pays

(b) £ [2]

16 Triangle **A** and triangle **B** are drawn on the coordinate grid.



- (a) Reflect triangle **A** in the line $x = 0$.

The y-axis is the line $x = 0$

[2]

- (b) Describe fully the **single** transformation that maps triangle **A** onto triangle **B**.

Enlargement, scale factor ..., centre ...

[3]

To reflect, count the number of jumps to the line for each corner then do the same number of jumps on the other side

It is an enlargement as it has changed size. The scale factor is what the sides on A have been multiplied by to get the sides on B. It is a fraction. The centre of enlargement is found by drawing straight lines through the corners of both shapes and seeing where they meet

The fraction (or proportion, which can be expressed as a decimal) of the times it lands on each number is the relative frequency

- 17 Ling throws a six-sided dice 300 times. The table shows the frequencies of their results.

(a) Complete the table to show the relative frequencies.

Number on dice	1	2	3	4	5	6
Frequency	42	27	57	60	39	75
Relative frequency			0.19			

[2]

(b) Ling thinks that the dice may be biased.

- (i) Explain why evidence from the table could support their opinion.

Biased means that there wasn't the same probability for each outcome

[1]

- (ii) Explain why the dice may, in fact, **not** be biased.

Is it possible for a fair coin which is not biased to be tossed 5 times in a row and all be heads?

[1]

18 A carpenter measures the length, k metres, of a piece of wood.

They write

$$3.35 \leq k < 3.45.$$

The length must be greater than or equal to 3.35 but less than 3.45

(a) Put rings around all possible values of k in the list below.

3.349

3.39

3.44

3.45

3.55

[2]

(b) The carpenter says

$3.35 \leq k < 3.45$ means that the length of the piece of wood is 3.4 metres correct to the nearest centimetre.

(i) Explain how you know that she is incorrect.

Try rounding 3.35m to the nearest centimetre

[1]

(ii) Complete the interval for 3.4 m, correct to the nearest centimetre.

$$3.395 \leq k < \dots\dots\dots$$

Upper bound

[1]

There are 100cm in 1m so dividing 1cm by 100 converts it into m. This is the resolution of the measurement. Halving this and adding and subtracting it from the 3.4 works out the bounds

19 (a) Amit says

My normal typing speed is 40 words per minute.

Therefore, I estimate that my normal typing speed is about 210 characters per minute.

Each letter, space and piece of punctuation counts as a character.

How many letters per word is Amit most likely to have used in making the estimate?
Show how you decide.

There will be at least 40 spaces and pieces of punctuation as there is a space after each word and a full stop at the end of a sentence. Subtracting these 40 characters from the 210 leaves the maximum number of characters which are letters in words. Dividing this by the 40 words works out the maximum number of letters per word

(a) [3]

(b) Amit starts some homework at their normal typing speed.
Amit types 52 words in 1 minute 12 seconds.

What may be true about the length of the words that Amit has just typed?
Show how you decide.

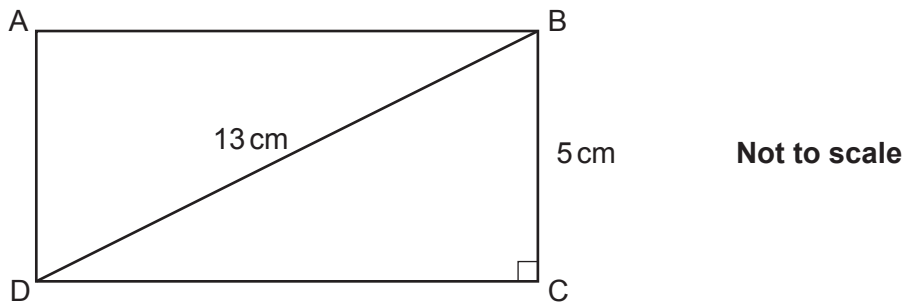
Dividing the number of words by the time in minutes works out how many words Amit typed per minute

Time can be put into the calculator

Consider what effect a different amount of words per minute must mean on the average length of word when they are typing at their normal typing speed

.....
..... [3]

20 The diagram shows rectangle ABCD.



$DB = 13\text{ cm}$ and $BC = 5\text{ cm}$.

Calculate the area of the rectangle.
You must show your working.

Area of rectangle = length \times width. The width is 5 cm. The length is DC, which can be found using Pythagoras' Theorem: $a^2 + b^2 = c^2$, where a and b are the shorter sides and c is the longest side

..... cm^2 [5]

21 (a) A straight line has the equation $y = 2x - 1$.

Write down the gradient of the line.

The equation is in the form $y = mx + c$, where m is the gradient and c is the y-intercept

(a) [1]

(b) Here are the equations of four straight lines.

$y = 2x + 3$ $y = 1 - x$ $y = \frac{1}{2}x + 4$ $y = x - 1$

(i) Which of the four straight lines is parallel to $y = 2x - 1$?

Parallel lines have the same gradient

(b)(i) [1]

(ii) A student says

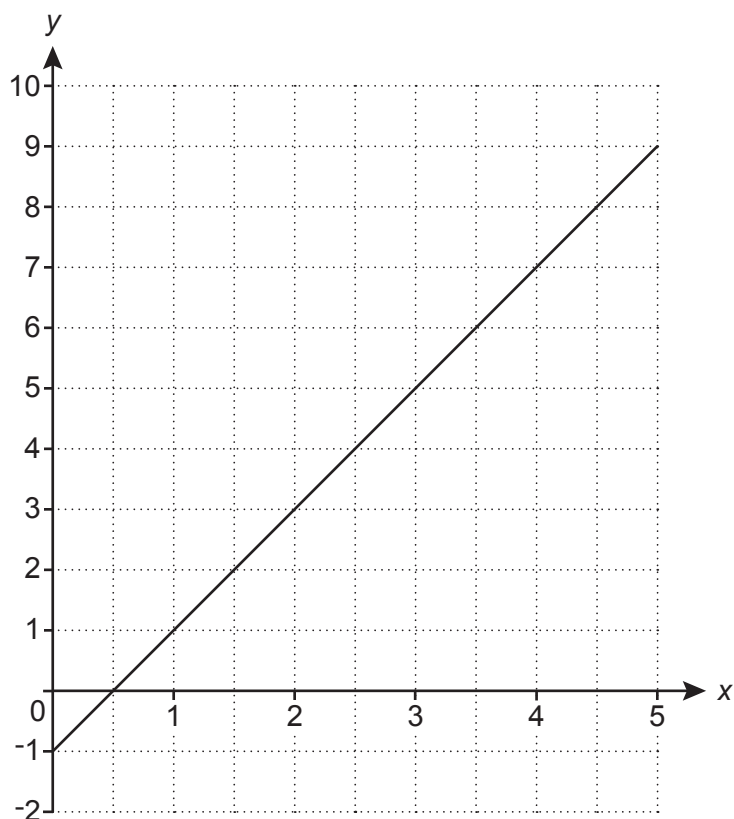
$y = \frac{1}{2}x + 4$ is the steepest of the four straight lines because it has the largest number added.

Explain why the student is wrong.

.....
.....
.....
.....
..... [1]

The equation is in the form $y = mx + c$, where m is the gradient and c is the y-intercept

(c) Here is part of the graph of $y = 2x - 1$.



The line continues to the right.

Will the line pass above, below or through the point $(45, 90)$?
Show how you decide.

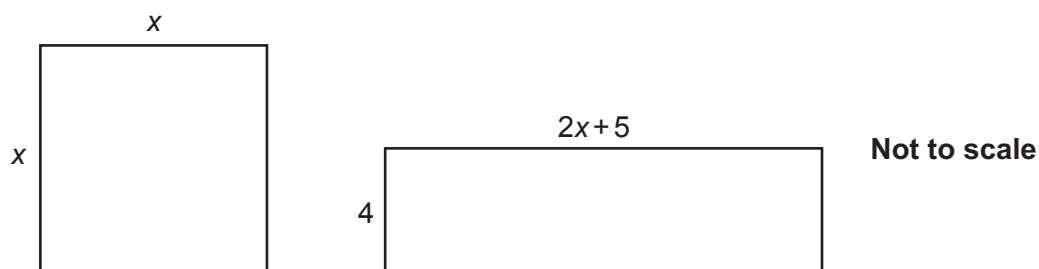
Substitute the x-coordinate of 45 into the equation to work out what the y-coordinate of the line is and compare this to the y-coordinate of the point

The line $y = 2x - 1$ will pass the point $(45, 90)$ because

.....

..... [2]

22 In this question, all measurements are in centimetres.



The square and the rectangle have the same area.

(a) Show that $x^2 - 8x - 20 = 0$.

[3]

Area of square or rectangle = length \times width. Multiply the length and width of the square and the length and width of the rectangle to express their areas. Set these equal to each other as they have the same area. Simplify the resulting equation and expand any brackets then rearrange into the desired equation

(b) Solve $x^2 - 8x - 20 = 0$.

The equation has more than one different power of x so cannot be solved by rearranging. Factorise by finding two numbers which multiply to -20 and add to -8 and put these in brackets with x . List out the factor pairs of 20 until they add to -8 when one is negative to find these two numbers

(b) $x = \dots\dots\dots$ or $x = \dots\dots\dots$ [3]

- (c) Explain why one of the answers in part (b) is not possible in the context of the question.

.....

 [1]

Consider that x is a length

- (d) Write down the following.

- (i) The area of the square.

Area of square = length \times width

(d)(i) cm^2 [1]

- (ii) The length of the rectangle.

Substitute the value of x for x in $2x + 5$

(ii) cm [1]

Turn over for Question 23

23 A bag of sweets contains jellies, mints and toffees.

The ratio of jellies to mints is $n : 2$.

The ratio of mints to toffees is $5 : 3n$.

Work out the ratio of jellies to toffees.

Give your answer in its simplest form.

J	M	T
n	2	$3n$

← Writing the given ratios in a column. Mints is in common to both ratios. Find a common multiple of the 2 and 5. Multiply both sides of the first ratio to give the common multiple parts for mints and multiply both halves of the second ratio to get the common multiple parts for mints. Combine the ratios once the number of parts for mint is the same. Ignore mints to get the ratio of the jellies to toffees and simplify the ratio by dividing both sides by the same amount until they cannot be divided any further without getting decimals

..... : [4]

END OF QUESTION PAPER

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